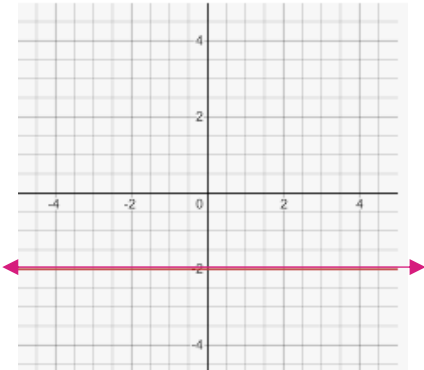
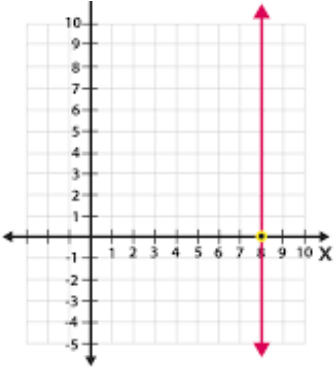
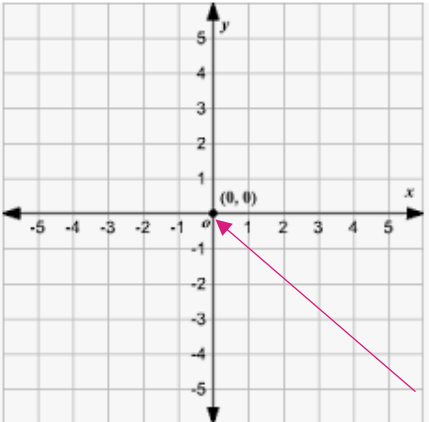


'Introduction to linear graphs'

The Knowledge for Progression:

- To know that a coordinate is in the form (X,Y)
- To know that straight lines are continuous

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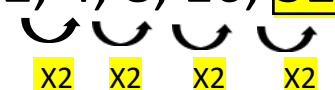


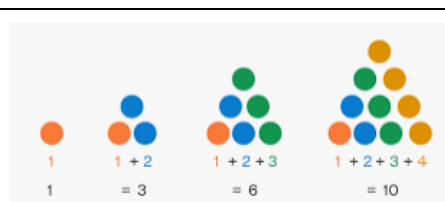
Key Word	Dual Coding	Definition
Horizontal		In a left to right direction. Parallel to the x-axis
Vertical		In a down to up direction. Parallel to the y-axis
Origin		The intersection of the y and x-axis. Taking the coordinate (0,0)

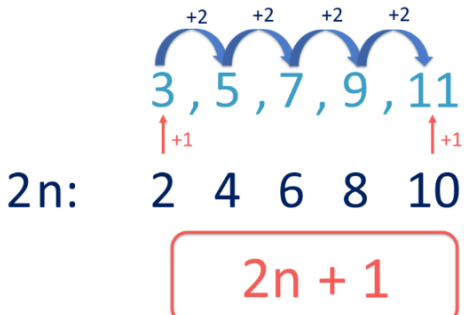
'Sequences'

The Knowledge for Progression:

- To know that an arithmetic sequence is where the terms increase or decrease by the same number each time.
- To know that "n" is the position of a value in the sequence.
- To know that "n" is always a positive integer.
- To know that a quadratic sequence is linked to square numbers.
- To know that a geometric sequence is where each term is generated by multiplying by a constant amount.
- To know that terms in a triangular sequence are generated by adding consecutive numbers, starting from 1.
- To know that the terms in a Fibonacci sequence are generated by adding the two previous terms.

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Key Word	Dual Coding	Definition
Sequence	$2, 4, 8, 16 \dots$	A set of values or diagrams that follow a pattern
Term	Term: 1 2 3 4  Term: 1 2 3 4 5	The position of a value or diagram in a sequence
Term-to-term rule	$2, 4, 8, 16, \boxed{32}$ 	The way that you obtain the next term of a sequence using the previous term
Arithmetic sequence	$3, 7, 11, 15$ 	Terms are generated by adding or subtracting a constant amount. This can also be called an arithmetic progression.
Geometric sequence	$3, 12, 48, 194$ 	Terms are generated by multiplying by a constant amount. This can also be called a geometric progression.
Triangular sequence		Terms are generated by adding consecutive numbers, starting from 1
Fibonacci sequence	$1, 1, 2, 3, 5, 8, 13$ $+$ $+$ $+$ $+$ $+$ $+$	Terms are generated by adding the two previous terms

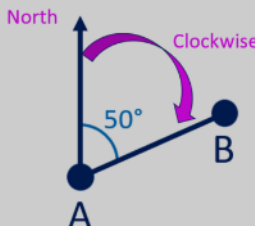
Nth term	 <p>3, 5, 7, 9, 11</p> <p>2n: 2 4 6 8 10</p> <p>$2n + 1$</p>	Relates to the rule of a sequence where 'n' represents the position of the term, starting the count of terms from the first term.
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'Maps and bearings'

The Knowledge for Progression:

- To know that a bearing is always given in 3 figures
- To know the compass directions
- To know that North is 000
- To know clockwise direction

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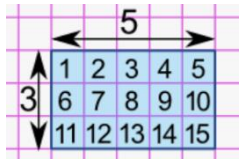
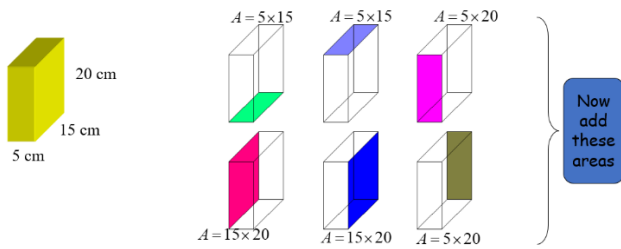
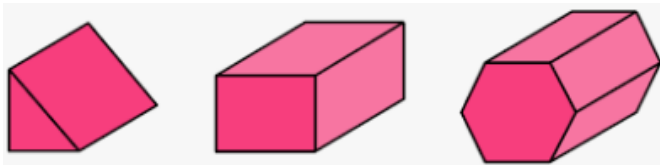
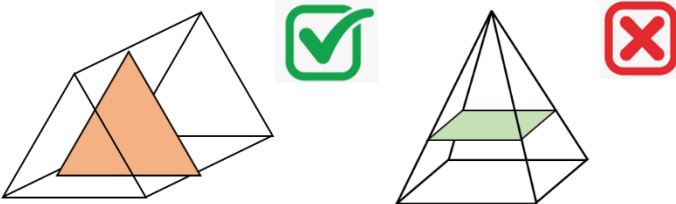
Key Word	Dual Coding	Definition
Bearing	<p>Write bearings with 3 figures</p> <p>The bearing of B from A is 050°</p> 	Bearings are angles, measured clockwise from north

'Surface area of prisms'

The Knowledge for Progression:

- To know that surface area is the sum of the area of the faces of a 3D shape.
- To know that a face is a 2D side that makes up a 3D shape.
- To know that a prism is a 3D shape with a uniform cross section. The cross section is a polygon.
- To know that the uniform cross-section is the polygon that is runs throughout the prism.

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Key Word	Dual Coding	Definition
Area		The space inside a 2D shape
Surface Area		The total area of all the faces of a 3D shape added
Prism		A 3D shape with a uniform cross section. The cross section is a polygon
Uniform cross-section		The same face that runs through the length of a 3D shape.

'Error intervals'

The Knowledge for Progression:

- To know that an error interval is the range of possible values a number could have been before rounding.
- To know that an error interval is written using inequalities.

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Key Word	Dual Coding	Definition
Limits of accuracy	<p>3.5 3.55 3.6 3.65 3.7</p> <p>← X Closer to 3.5 $3.55 \leq \text{Weight} < 3.65$ X Closer to 3.7 →</p>	To describe <i>all the possible values</i> that a rounded number could be
Lower bound	<p>86.45 cm 86.5 cm 86.55 cm</p> <p><i>lower bound</i> <i>actual measurement</i> <i>upper bound</i></p>	The smallest value that would round up to the <i>estimated value</i>
Upper bound		The smallest value that would round up to the <i>next estimated value</i>
Error Interval	<p>$x = 30\text{cm to the nearest ten}$</p> <p>25 30 35</p> <p>$x \geq 25$ $x < 35$</p> <p>$25 \leq x < 35$</p>	The <i>range</i> of possible values a number could have been before it was rounded. Using the lower and upper bounds